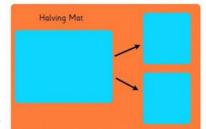
## Year 1 Fractions

### **Objectives and Key Skills**

When teaching fractions, the emphasis is often on situations where the object can easily be cut, folded, split or coloured in equal parts. Although there is some need for this sort of activity, children should be exposed to a wide variety of situations, some where such folding or splitting strategies will not be successful. This will aid children in developing a more firm grasp of the concept of fractions.

### Recognise, find and name a half as one of two equal parts of an object, shape or quantity

- Find 1/2 of objects such as paper shapes, string, jugs of water, pieces of fruit, metre sticks and so on. This will involve pulling apart, cutting, folding and weighing. Show children that this is a half and we write this as one over two. It means one split into two equal parts the parts are the same size.
- In a wide range of contexts children use objects and find half e.g. find half of 16 cubes by giving one each repeatedly to two children. Use a sharing mat



- Find half of even numbers up to 12, including realising that it is hard to halve an odd number. Using a range of equipment including Numicon, cubes, counting objects
- Halve of 6 is 3 using our fingers

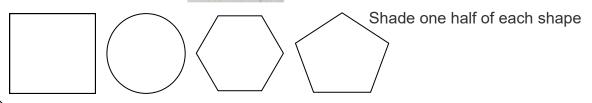


### **Examples of types of questions**

Here is a set of 12 pencils. Sarah would like to use half the pencils. How many is half the set?



Make a square. How many different ways can you halve it?



### Year 1 Fractions

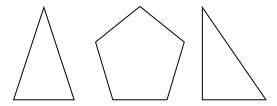
### **Objectives and Key Skills**

/ Recognise, find and name a quarter as one of four equal parts of an object, shape or quantity.

• Find a quarter of shapes by folding and halving. Model finding a half and then halving again to create quarters. Write on each part 1/4 and show children how all 4 quarters are equal to a whole.



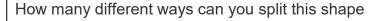
Give children shapes that they can not easily fold into quarters.



• Find a quarter of an amount of objects by sharing into 4 groups by using counters, bears, Numicon or other objects.

### **Examples of types of questions**

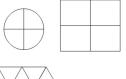
Four children equally share 12 strawberries. How many strawberries will each child have?





Shade 1/4 of each of these shapes. into quarters? How can you prove that each quarter within a shape is equal in size?





### Vocabulary

### **Fractions**

Whole, fraction, equal, parts, four equal parts, one half, two halves, a quarter, two quarters

### Year 2 **Fractions**

### **Objectives and Key Skills**

Recognise, find, name and write fractions 1/3, 1/4, 2/4, 3/4 of a length, shape, set of objects or quantity.

- Introduce thirds, emphasising that it is a whole split into 3 equal parts. Show children this through a range of examples including, shapes, quantities and lengths.
- Find 1/3 of a shape, length or an object by cutting, folding into thirds. Give children examples where a shape can not be split into 3 equal parts through folding.





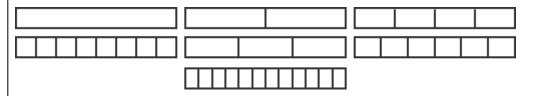








Find  $\frac{1}{4}$ ,  $\frac{2}{4}$  and  $\frac{3}{4}$  of a range of shape by folding. Label each equal part.



- Find <sup>3</sup>/<sub>4</sub> of a shape by cutting food including pizza, cakes, chocolate bars etc.
- Find 1/3, 1/4, 2/4, 3/4 of quantities by using objects initially to share into equal 3. 2.2. children are confident conceptually move onto pictorial representations, using the Singapore bar model method see Y3. Find half of a number by partitioning. 24 = 20 + 4
- Count in halves, guarters and thirds along a number line, counting stick



### **Examples of types of questions**

Explain how you know that one of these shapes has not been split into thirds





Mi-



chael

and Ch-i- -

equally between them. Exactly

much of each item will they get?

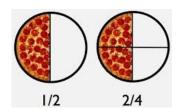
how

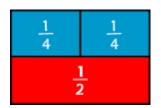
### Year 2 Fractions

### **Objectives and Key Skills**

Write simple fractions for example, 1/2 of 6 = 3 and recognise the equivalence of 2/4 and 1/2.

• Find the equivalence of 2/4 and 1/2 by showing the parts of a model or object. How many quarters make a half? Discuss answers modelling by placing two quarters over a half to show they are the same. Show 2/4 = 1/2, 2/2 = 1 and 4/4 = 1 emphasise two halves are a whole, four quarters are a whole and two quarters are a half.. Show children a range of models and images to represent this.





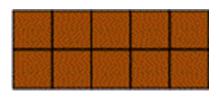
• Count in halves, quarters along a number line or counting stick from 0 to 10

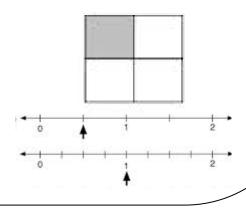
|              |          | ı            |          |   | - 1 |     | ı          |   |
|--------------|----------|--------------|----------|---|-----|-----|------------|---|
| $\mathbf{O}$ | 1        | 2            | 3        | 1 | . 1 | . 2 | . 3        | 2 |
| U            | <u> </u> | <del>_</del> | <u> </u> | 1 | 1-  | 1=  | 1—         |   |
|              | 4        | 4            | 4        |   | - 4 | - 4 | <b>-</b> 4 |   |

### **Examples of types of questions**

Would a chocolate lover rather have ½ or 1/4 of this bar of chocolate? Explain your answer

Which number line shows the same fraction as the square?





### Vocabulary

#### **Fractions**

Whole, fraction, equal, parts, four equal parts, one half, two halves, a quarter, two quarters, three quarters, one third, a third, equivalence, equivalent

### **Objectives and key skills**

Count up and down in tenths; recognise that tenths arise from dividing an object into 10 equal parts and in dividing one-digit numbers or quantities by 10

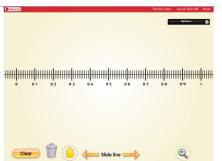
- Use decimal notation for tenths
- Divide single digits or whole numbers by 10
- ♦ Explain how finding 1/10 is the same as dividing by 10

• Using base 10 equipment, build on prior learning, showing that a tenth is a whole divided by 10. Tenths can then be counted to make a whole

(square)



- Show tenths recorded on a number line, count up and down in tenths going beyond 1.
- Use a place value chart to ing by 10.

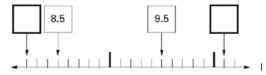


show divid-

| hundreds | tens | ones |   | tenths | hundredthe |
|----------|------|------|---|--------|------------|
|          |      |      | • |        |            |
|          |      |      |   |        |            |
|          |      |      |   |        |            |

### **Examples of types of questions**

Here is part of a number line. Write in the numbers missing from the two empty boxes.

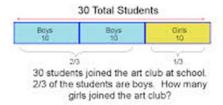


### Recognise, find and write fractions of a discrete set of objects: unit fractions and non-unit fractions with small denominators

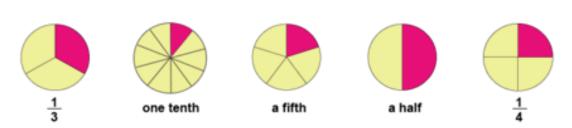
- ♦ Know what halves, quarters and thirds are.
- Understand that the numerator is how many parts you need.
- Understand that the denominator is how may equal parts the object or quantity is split in to.

Use sharing (into the bar) with concrete objects to model how the quantity is shared into each part. Move on to physically dividing the bar into how many parts. Then dividing the quantity by this amount and multiplying by how many parts you need. Use the Thinking Block website for modelling.

i.e. 
$$30 \div 3 = 10 \quad 10 \times 2 =$$



Unit Fractions. Unit means one. Here are some examples of unit fractions.



Can you spot the pattern? A unit fraction is one part of a whole that is divided into equal parts. **Non-unit fractions.** Unit means one, so non-unit is any number apart from one. Here are some examples of non-unit fractions.

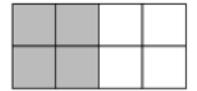


Many (or, rather,

more than one of the) parts, of an equally divided whole, is a non-unit fraction.

#### **Examples and types of questions**

What fraction of this shape is shaded? How do you know? Is there another way hat you can describe the fraction?



Here are 21 apples. Put a ring around one third of them.

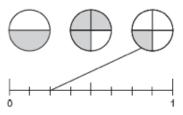


### Recognise and use fractions as numbers: unit fractions and non-unit fractions with small denominators

 $\diamond$  Position fractions on a number line; eg. mark fractions such as  $\frac{1}{2}$ , 3  $\frac{1}{2}$  and 2  $\frac{3}{10}$  on a number line marked from zero to 5.

### **Examples and types of questions**

A fraction of each shape is shaded. Match each fraction to the correct place on the number line. One has been done for you.



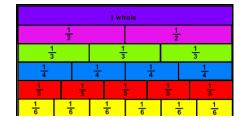
### Recognise and show, using diagrams, equivalent fractions with small denominators.

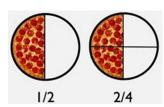
- Understand that when the same amount is shaded this is an equivalent fraction.
- ♦ Recognise the pattern between halves and quarters, thirds and sixths.
- Recognise how doubling and halving can be used to find equivalent fractions.

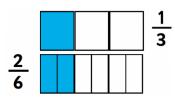
Ask children to create a fraction wall. What do you notice?

Are any of the fractions equivalent? Model how to identify equivalent fractions.

Show children a range of models and images that depict equivalent fractions







### **Examples and types of questions**

Circle the two fractions that have the same value.

10

Each of these diagrams is divided into equal parts.

Some of the parts are shaded.











Add frac-

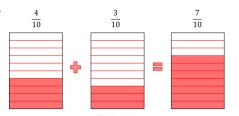
Write the letters of all the diagrams that have exactly  $\frac{1}{2}$  shaded.

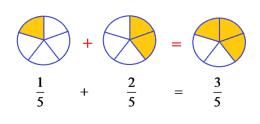
and subtract tions with the

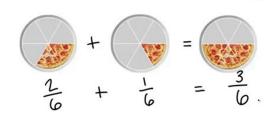
#### same denominator within one whole

(for example, 5/7 + 1/7 = 6/7

- Understand to only add the numerators.
- Understand and recognise that the denominator must stay the same.
- ♦ Explain why through the use of diagrams
- Model using a range of images to highlight why the denominator stays the same, including Cuisenaire.

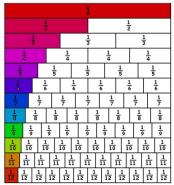




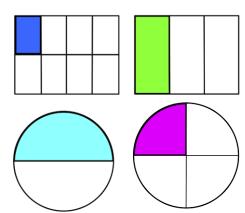


### Compare and order unit fractions, and fractions with the same denominators

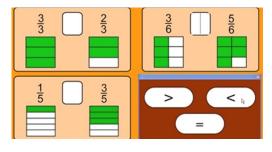
- Understand that the bigger the denominator the smaller the fraction.
  - Understand and recognise that if the fraction has the same denominator the bigger the numerator the bigger the fraction and vice versa.
- Use the less than, greater than and equal to signs to compare fractions.
- Use a range of models to compare unit fractions
- Make your own fraction wall



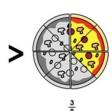
Use a range of models and images to order same denominator.

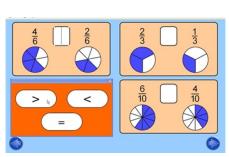


and compare fractions with the





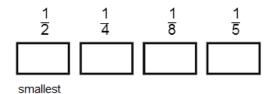




### **Examples and types of questions**

Would you rather have 1/3 of 30 sweets or 1/5 of 40 sweets? Why?

Write these numbers in order starting with the smallest.



#### Vocabulary

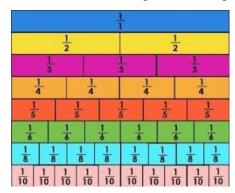
#### **Fractions**

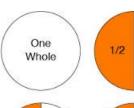
Whole, fraction, equal, parts, four equal parts, one half, two halves, a quarter, two quarters, three quarters, one third, a third, equivalence, equivalent, factor, two and three thirds, one tenth, tenths, denominator, numerator, compare order, decimal, decimal point

### **Objectives and Key Skills**

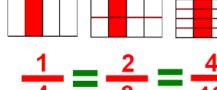
### Recognise and show, using diagrams, families of common equivalent fractions

• Children should create their own fraction wall and then use this to identify equivalent fractions. Alongside a range of models and images.



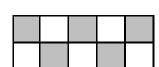




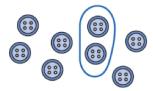








- Recognise that five tenths (5/10) or one half is shaded.
- Recognise that two eighths (⅓) or one quarter (⅓) of the set of buttons is ringed

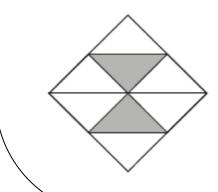


- Recognise that one whole is equivalent to two halves, three thirds, four quarters... For example, build a fraction 'wall' using a computer program
- Recognise patterns in equivalent patterns, such as:  $\frac{1}{2} = \frac{2}{4} = \frac{3}{6} = \frac{4}{8} = \frac{5}{10} = \frac{6}{12} = \frac{7}{14}$  And similar patterns for  $\frac{1}{3}$ ,  $\frac{1}{4}$ ,  $\frac{1}{5}$ ,  $\frac{1}{6}$ ,  $\frac{1}{10}$

### **Examples and types of questions**

Here is a square.

What fraction of the square is shaded?



Here are five diagrams. Look at each one. Put a tick (✔□) on the diagram is exactly ½ of it is shaded. Put a cross (✗) if it us not.





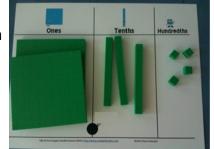




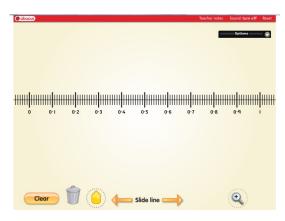


Count up and down in hundredths; recognise that hundredths arise when dividing an object by one hundred and dividing tenths by ten.

• Using base 10 equipment, build on prior learning, showing that a hundredth is a whole divided by 100 and that a tenth is divided by 10.



 Show tenths recorded on a number line, zoom in between then tenths and show how this is broken down further into hundredths



Use a place value chart to show the value of a number.

| hundrede | tens | ones | tenthe | hundredthe |
|----------|------|------|--------|------------|
|          |      |      |        |            |
|          |      |      |        |            |
|          |      |      |        |            |

### **Examples and types of questions**

Respond to questions such as:

What does the digit 6 in 3.64 represent? The 4? What is the 4 worth in the number 7.45? The 5?

Write the decimal fraction equivalent to:

two tenths and five hundredths; twenty-nine hundredths; fifteen and nine hundredths.

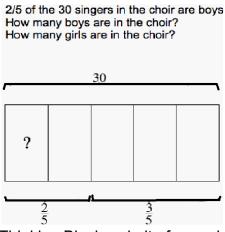
Continue the count 1.91, 1.92, 1.93, 1.94 ...

Know how many 10 pence pieces equal a pound, how many 1 pence pieces equal a pound, how many centimetres make a metre.

## Solve problems involving increasingly harder fractions to calculate quantities, and fractions to divide quantities, including non-unit fractions where the answer is a whole number

- Model finding fractions of amounts using the Singapore bar method. Use sharing (into the bar) with concrete objects to model how the quantity is shared into each part. Using strips of paper divide into equal parts according to the denominator.
- Show the quantity of the whole e.g. 30. How many would be in each equal part? What is the number sentence?

E.g.  $30 \div 5 = 6$  and I have 2/5 so  $6 \times 2 = 12$ . 12 of the singers in the choir are boys



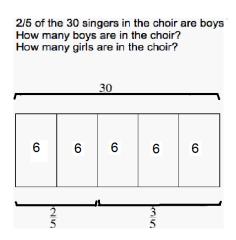
Use the Thinking Block website for modelling.

### **Examples and types of questions**

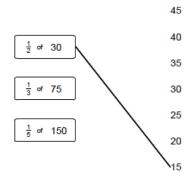
What is one-fifth of twenty-five?

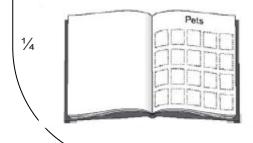
Write the missing number to make this correct.

$$\frac{1}{4}$$
 of 24 =  $\frac{1}{2}$  of



Match each box to the correct number.
One has been done



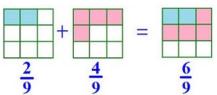


Mary has 20 pet stickers to go on this page.

of them are dog stickers. ½ of them are cat stickers. The rest are rabbit stickers. How many rabbit stickers does she have? for you.

#### Add and subtract fractions with the same denominator

Model practically using paper strips and a fraction wall. Then move on to using a range of images. Ensure children understand why the denominator stays the same.



$$+ \frac{1}{5} + \frac{2}{5} = \frac{3}{5}$$

Ensure children see the visual with the number sentence written alongside.

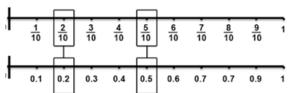
#### **Examples and types of questions**

$$\frac{1}{2} + \frac{1}{2}, \frac{1}{4} + \frac{3}{4}, \frac{3}{8} + \frac{5}{8}, \frac{3}{5} + \frac{4}{5} + \frac{1}{5}, \frac{7}{10} + \frac{3}{1}$$

### Recognise and write decimal equivalents of any number of tenths or hundredths

- Ask children to label a number line between 0 and 1 that has been divided into 10 equal parts with the decimal number, repeat with a fraction number line. Show these below each other and discuss why 2/10 is equivalent to 0.2. Use base 10 equipment to support e.g. I have 5 tenths, what is that as a decimal and how many parts from the whole have I got... 5/10
- Move on to numbers greater than 1





## Examples and types of questions

Recognise that, for example:

0.07 is equivalent to  $\frac{1}{100}$  6.35 is equivalent to 6  $\frac{35}{100}$ 

Which of these decimals is equal to  $^{19}/_{100}$ ? 1.9 10.19 0.19 19.1

Write each of these as a decimal fraction:  $\frac{27}{100} \frac{3}{100} 2 \frac{33}{100}$ 

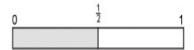
#### Recognise and write decimal equivalents to 1/4, 1/2, 3/4

- Begin with the context of money and measures e.g 1/2 of £1 is 50 which I can write as £0.50.
- I can find 1/4 of £1 by halving and halving again (model why this is true) so it is 25p which I can write as 0.25

#### Example

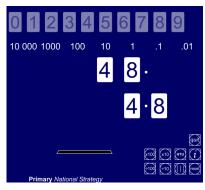
The temperature reading in my car is 28.5°C. How would I write this as a fraction?

0.5 is the same as  $\frac{1}{5}$ . So the temperature is the same as  $28\frac{1}{5}$ °C. See the number line below:



Find the effect of dividing a one- or two-digit number by 10 and 100, identifying the value of the digits in the answer as ones, tenths and hundredths

• Model using the Moving digits ITP. Ensure children use a place value chart as part of their jottings.



| tens | ones | Ш | tenthe | hundredths |
|------|------|---|--------|------------|
|      |      |   |        |            |
|      |      |   |        |            |
|      |      |   |        |            |

#### **Examples**

### and types of questions

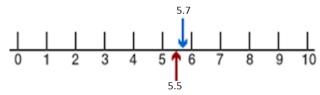
Keep dividing this number by 10 and record the answer. Describe the pattern.

26 2.6 0.26 0.026 How many times larger is 2600 than 26? How many £1 notes are in £120, £1200? Divide three hundred and ninety by ten.

Write in the missing number

#### Round decimals with one decimal place to the nearest whole number

Identify the whole number before and after, mark halfway point then identify where given decimal is - is it closer to 5 or 6? Challenge children to identify a rule.



### **Examples and**

### types of questions

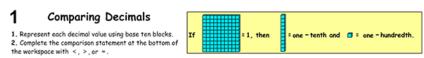
Round these to the nearest whole number. 9.7, 25.6, 148.3

Round these costs to the nearest £: £3.27, £12.60, £14.05, £6.50

Round these lengths to the nearest metre: 1.5m, 6.7m, 4.1m, 8.9m

### Compare numbers with the same number of decimal places up to two decimal places

 Initially make each number using base 10 equipment for children to be reminded of the difference between tenths and hundredths



|      | Ones | Tenths     | Hundredths |
|------|------|------------|------------|
| 1.32 |      |            | ••         |
| 1.6  |      |            |            |
|      |      | 1.32 < 1.6 |            |

Arrange all numbers into a
place value chart and ensure the decimal points are lined up. Use place holders if needed.

| hundreds | tens | ones |  | tenths | hundredths |  |  |
|----------|------|------|--|--------|------------|--|--|
|          |      | 0    |  | 1      | 5          |  |  |
|          |      | 0    |  | 6      |            |  |  |
|          |      |      |  |        |            |  |  |

Line up the decimals.

#### **Examples and types of questions**

Place these decimals on a line from 0 to 2:

0.3, 0.1, 0.9, 0.5, 1.2, 1.9



Which is lighter: 3.5kg or 5.5kg? 3.72kg or 3.27kg? Which is less: £4.50 or £4.05?

Put in order, largest/smallest first: 6.2, 5.7, 4.5, 7.6, 5.2, 99, 1.99, 1.2, 2.1

### Solve simple measure and money problems involving fractions and decimals to two decimal places.

These are the prices in a shoe shop







How much more do the boots cost than the trainers? Rosie buys a pair of trainers and a pair of sandals. How much change does she get from £50?

boots £45.50

sandals £12.75

trainers £34.99



A box of four balls costs £2.96. How much does each ball cost? Dean and Alex buy 3 boxes of balls between them. Dean pays £4.50. How much must Alex pay?

A full bucket holds  $5\frac{1}{2}$  litres. A full jug holds  $\frac{1}{2}$  a litre. How many jugs full of water will fill the bucket?

Harry spent one quarter of his savings on a book. What did the book cost if he saved: £8... £10...£2.40...?

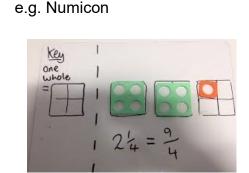
Gran gave me £8 of my £10 birthday money. What fraction of my birthday money did Gran give me?

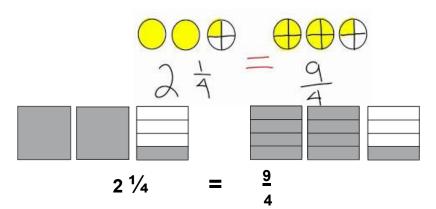
#### Vocabulary

Whole, fraction, equal, parts, four equal parts, half, a quarter, thirds, tenths, eighth, sixth, fifth, twentieth, equivalence, equivalent, factor, denominator, numerator, compare, order, decimal, decimal point, decimal place, hundredth, nearest whole number, proportion, ....in every...,

Recognise mixed numbers and improper fractions and convert from one form to the other and write mathematical statements > 1 as a mixed number [for example, 2/5 + 4/5 + 6/5 = 1 1/5]

- ♦ Know the difference between a mixed number and an improper fraction.
- ♦ Understand the symbols < and > than.
- Convert mixed numbers into improper fractions and vice versa.
- Introduce mixed number and improper fractions through the use of models and images



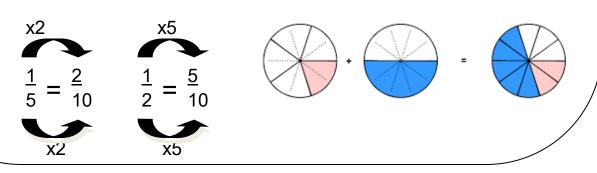


### **Examples of types of questions**

How many halves in:  $1 \frac{1}{2} 3 \frac{1}{2} 9 \frac{1}{2} \dots$ ? How many quarters in  $1 \frac{1}{4} 2 \frac{1}{4} 5 \frac{1}{4} \dots$ ?

### Add and subtract fractions with the same denominator and denominators that are multiples of the same number.

- Find equivalent fractions to common fractions
- Find a common denominator for a group of fractions
- Recap with fractions with the same denominator and use models and images to reinforce that the numerator changes but the denominator stays the same.
- $+ \frac{1}{5} + \frac{2}{5} = \frac{3}{5}$
- Add and subtract fractions with different denominators.
   Link to equivalent fractions and how to convert one fraction into another by looking at the denominators and identifying common multiples e.g. 1/5 + 1/2. list multiples of 5 and 2 until you find a common multiple
  - 5, **10**, and 2,4,6,8,**10**. Now link with equivalent fractions, what must I do to each fraction to turn it into tenths?

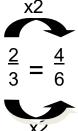


## Compare and order fractions whose denominators are all multiples of the same number.

- Know multiples of numbers up to 10
- Order fractions
- Convert fractions so denominator is the same in each.
- ♦ Know times tables facts up to 12x12



• Show children a fraction wall and recap equivalent fractions. Look at an example e.g. 1/6 and 2/3. Use the fraction wall to establish that 2/3 is equivalent to 4/6. Encourage children to explore the relationship between these two fractions. Model how to convert thirds into sixths.



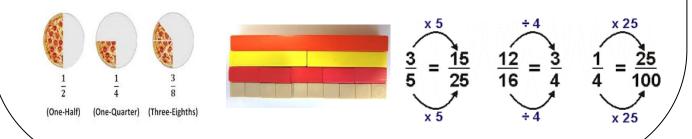
 List multiples of each denominator and identify a common multiple for all fractions. Convert all fractions into fractions with a common denominator to allow easier comparisons and ordering.

#### **Examples of types of questions**

Children should be able to circle the two fractions that have the same value, or choose which one is the odd one out and justify their decision.

## Identify, name and write equivalent fractions of a given fraction, represented visually, including tenths and hundredths

- ♦ Know equivalent fractions of 1/2, ¼, 1/3, and up to 1/10, 1/100<sup>t</sup>
- Represent fractions on a fraction wall to help show equivalence
- Identify common factors of the numerator and denominator
- Explain why one fraction is equivalent to another fraction.
- Use fraction walls to identify equivalent fractions. Cuisenaire rods can be used to build a 3D fraction wall
- Develop a range of practical experiences, folding, cutting paper circles, paper strips.

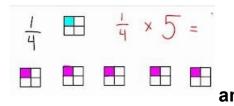


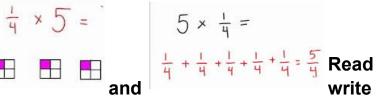
### Year 5

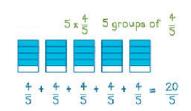
### Fractions, decimals and percentages.

### **Multiply proper fractions and mixed numbers by whole** numbers, supported by materials and diagrams

- Know multiplication tables up to 12 x 12.
- Be able to change a mixed number into a proper fraction and vice versa.
- Model through the use of diagrams. Ask children to explore what has happened to the numerator and denominator within a number of examples. Ask children to generate a rule.





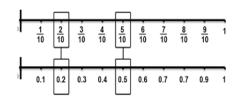


### decimal numbers as fractions [for example, 0.71 = 71/100

- Know 1.00 = £1 = £1.00 = 100/100.
- Make links between tenths are 1/10=10p, hundredths are 1/100=1p  $\Diamond$
- Use a place value chart to write decimal numbers into the correct column.  $\Diamond$
- Know the value of each digit
- Through the use of a place value chart ask children to write decimal numbers in the correct places. Identify if the number will be written in tenths, hundredths, thousandths. Make links with money, I have 4 tenths and 6 hundredths, which is like 46p 46/100, 46p

|          |      |      |               |        | Valu       | le<br>per below | , 0. <u>5</u>         |
|----------|------|------|---------------|--------|------------|-----------------|-----------------------|
| 200      | 70   | 3    |               | .4     | .06        | .008            | ↓ ↑                   |
| 2        | 7    | 3    | •             | 4      | 6          | 8               | 5                     |
| Hundreds | Tens | Ones | Decimal place | Tenths | Hundredths | Thousandths     | <b>10</b> out of 100p |

| 0. <u>5</u> | 0.72 | 0.63       |
|-------------|------|------------|
| <b>†</b> †  | 1 1  | <b>↓</b> ↑ |
| 5           | 72   | 638        |
| 10          | 100  | 100        |
|             |      |            |



**Examples and types of questions** What decimal is equal to 25 hundredths?

Write the total as a decimal:

$$4 + \frac{6}{10} + \frac{2}{100} =$$

Children partition decimals using both decimal and fraction notation, for example, recording 6.38 as 6 +  $\frac{3}{10}$  +  $\frac{9}{100}$  and as 6 + 0.3 + 0.08.

## Recognise and use thousandths and relate them to tenths, hundredths and decimal equivalents.

- Know place value of digits using a place value chart.
- Understand that a thousandth is one whole split into one thousand equal pieces

Record decimal numbers as fractions e.g. 0.007 is equivalent to  $\frac{7}{1000}$  6.305 is equivalent to  $\frac{6305}{100}$ 

|          |      |      |               |        | valu<br>he numb | er below?   |
|----------|------|------|---------------|--------|-----------------|-------------|
| 200      | 70   | 3    |               | .4     | .06             | 800         |
| 2        | 7    | 3    | •             | 4      | 6               | 8           |
| Hundreds | Tens | Ones | Decimal place | Tenths | Hundredths      | Thousandths |

### Round decimals with two decimal places to the nearest whole number and to one decimal place

- Place numbers on a number line
- Know that if you are rounding you need to round up if the identified digit is a 5 or above and down if the identified digit is 4 or below.
- Underline the digit that is being rounded to e.g rounding 14.61 to the nearest whole number, underline the units 14.61. Draw the number line, 14.61 is between two whole numbers, so it is between 14 and 15. Focus on the next digit 6 tenths, where would this come on the number line? Position and show how it is closer to 15 than 14.

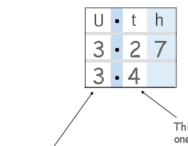


14.6

15

### Read, write, order and compare numbers with up to three decimal places

- Know the place value of digits up to 3 decimal places.
- ♦ Compare numbers with a different number of digits. 3.02, 3.2, 3, 3.105
- Always arrange numbers in a place value chart when ordering and comparing
- Begin by comparing the largest value, then the next largest and so on. If two numbers have digits of the same value then compare the next digit to identify the order.
- When children have identified the smallest number, cross it off the place value chart and repeat until all numbers have been ordered.



This tenths value is greater than the one above, 3.4 is greater than 3.27.

The units are the same

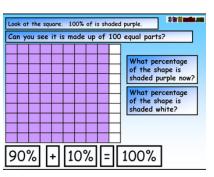
### Solve problems involving numbers up to three decimal places

### Examples and types of questions

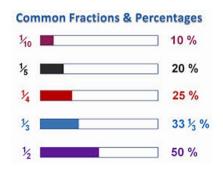
- **1.** Michael Schumacher can travel at 166.345 miles in an hour in his Ferrari. How far can he travel in 3 hours?
- **2.** The temperature in the classroom was 21.8 °C. Claire left the door open and the temperature dropped by 3.7 °C. What was the temperature now?
- **3.** Sarah was 88.49 cm tall when she was 3 years old. By the time she was 18, Sarah had grown a further 83.91 cm. How tall was she when she was 18?

Recognise the per cent symbol (%) and understand that per cent relates to 'number of parts per hundred', and write percentages as a fraction with denominator 100, and as a decimal

- $\Diamond$  Know these facts 100% = 100/100, 50% =  $\frac{1}{2}$  = 50/100, = 0.5 25% = 25/100 = 0.25
- Understand that per cent is number of parts per hundred
- Convert percentages to fractions and decimals.
- Relate percentages to base 10 equipment, fraction walls, hundred squares
- Discuss where children have seen percentages.
- When writing percentages always refer to the equivalent fraction and decimal



| 1 (100%)                           |  |       |                        |               |               |      |               |  |  |  |
|------------------------------------|--|-------|------------------------|---------------|---------------|------|---------------|--|--|--|
| 1                                  | 1/2  |       |                        |               |               | 50%  |               |  |  |  |
| 1/3                                | $\frac{1}{3}$  |       |                        |               |               |      |               |  |  |  |
| 1/4                                | $\frac{1}{4}$ 2                                      |       |                        | 2             | 5%            |      |               |  |  |  |
| 1/5                                | 1/5 20%  |       |                        | 2             | $\frac{1}{5}$ |      | <u>1</u><br>5 |  |  |  |
| $\frac{1}{6}$ 16.                  | <u>6</u> %   | 1 6   | $16.6\%$ $\frac{1}{6}$ |               | 1/6           | 1    | 6. <u>6</u> % |  |  |  |
| $\frac{1}{8}$ 12.5%                | 1/8 1  | 12.5% | 1/8                    | 12            | .5%           | 18   | 12.5%         |  |  |  |
| 1 10%                              | $\frac{1}{10}$ 10% $\frac{1}{10}$ 10% $\frac{1}{10}$ |       | 10%                    | 1/10          | 10%           | 1 10 | 10%           |  |  |  |
| $\frac{1}{12}$ 8.3% $\frac{1}{12}$ | 8.3% 1/12  | 8.3%  | 1/12 8                 | 3. <u>3</u> % | 1/12 8.       | 3%   | 8.3%          |  |  |  |



#### **Examples and types of**

Shade 10% of this grid.

Which is bigger: 65% or ¾? How do you know?

What percentage is the same as  $\frac{1}{10}$ ? Explain how you know?

What is <sup>31</sup>/<sub>100</sub> as a percentage?

Which is a better mark in a test: 61%, or 30 out of 50? How do you know?

#### Vocabulary

Fractions kills Whole, fraction, equal, parts, four equal parts, half, a quarter, thirds, tenths, eighth, sixth, fifth, twentieth, ninth, twelfth, twentieth, thousandths, equivalence, equivalent, factor, denominator, numerator, compare, order, decimal, decimal point, decimal place, hundredth, nearest whole number, proportion, .....in every..., proper and improper fractions, mixed number, reduced to, cancel, proportion, ratio, for every, to every, as many as, decimal equivalent, simplest form, percentage, per cent, %

### **Objectives**

- use common factors to simplify fractions; use common multiples to express fractions in the same denomination
- compare and order fractions, including fractions > 1
- add and subtract fractions with different denominators and mixed numbers, using the concept of equivalent fractions
- multiply simple pairs of proper fractions, writing the answer in its simplest form [for example,  $1/4 \times 1/2 = 1/8$  divide proper fractions by whole numbers [for example,
- associate a fraction with division and calculate decimal fraction equivalents
   [for example, 0.375] for a simple fraction [for example, 1/3 db 2 = 1/6
- identify the value of each digit in numbers given to three decimal places and multiply and divide numbers by 10, 100 and 1000 giving answers up to three decimal places
- multiply one-digit numbers with up to two decimal places by whole numbers
- use written division methods in cases where the answer has up to two decimal places
- solve problems which require answers to be rounded to specified degrees of accuracy.
- recall and use equivalences between simple fractions, decimals and percentages, including in different contexts.

#### **Key Skills**

### Vocabulary

Part, Equal parts, fraction, one whole, half, quarter, eighth, third, sixth, fifth, tenth, twentieth, decimal, decimal point, decimal place, equivalent, hundredth, numerator, denominator, nearest whole number, proportion, .....in every...,proper/improper fraction, mixed number, reduced to, cancel, ninth, twelfth, thousandth, decimal fraction, percentage, percent, %, common